## Tree cut

You are given a tree (a connected, acyclic graph) along with a set of **commodities**, i.e. pairs of vertices,  $(s_1, t_1), ..., (s_m, t_m)$  ( $s_i \neq t_i$ ). A **multicut** is a set of edges that when removed disconnects  $s_i$  from  $t_i$  for all *i*. There is a unique path  $P_{u,v}$  between every pair of vertices u, v in a tree, and the **max-cost** of a multicut *S* is  $\max_i |S \cap P_{s_i, t_i}|$ . You will be given a rooted tree of height 1 and a set of commodities and must return the minimum possible max-cost over all multicuts.

## Input

The first line of the input is "NM" ( $1 \le N, M \le 100000$ ), where N is the number of vertices in the tree and M is the number of commodities. All vertices are numbered 0, ..., N-1, and the root has label N - 1. M lines then follow, where the *i*th line is " $s_i t_i$ ", representing a commodity ( $s_i, t_i$ ) where  $s_i \ne t_i$ . Commodities are distinct: neither ( $s_i, t_i$ ) = ( $s_j, t_j$ ) nor ( $s_i, t_i$ ) = ( $t_j, s_j$ ) will hold when  $i \ne j$ .

## Output

Your output should consist of a single number, the minimum possible max-cost of a multicut, followed by a newline.

## Example

Output:

1